

Fig. 3 Amplitude spectra before and after a discontinuity (see Fig. 1).

vortex responsible for the dominant frequency; alternatively a change in character of the vortex may occur (e.g., from toroidal to helical) which can change the frequency without greatly affecting the amplitude. In either case there is a reduction in amplitude of the random intensity level.

As an alternative hypothesis to that presented in Ref. 1, in view of the similarities in the experiments, it is suggested that the reduction in noise level of Dosanjh's coaxial system might be due to a similar vortex shedding phenomenon between the inner and outer streams. At the much smaller scale of his experiment, periodic fluctuations in the flow would also be expected to be small and at a much higher frequency; such conditions would probably be difficult to see with the shadowgraph system that was used for visualization purposes in this experiment.

References

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² Rossiter, J. E. and Kurn, A. G., "Wind Tunnel Measurements of the Effect of a Jet on the Time Average and Unsteady Pressures on the Base of a Bluff Afterbody," ARC Current Paper 903, RAE TR 65187, 1965, Royal Aircraft Establishment, Farnborough, Hampshire, England.

Comment on "Analysis of a Clamped Skew Plate under Uniform Loading"

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THE eigenfunction expansion method employed by the authors¹ presents an interesting, although rather lengthy, solution to the problem of deflections of a clamped skew plate subject to uniform normal pressure.

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It is of some interest to point out the rather little-known work of V. Ille who has investigated normally loaded skew plates by a Levy-type approach. Ille employed a simple fourth-degree polynomial that satisfied boundary conditions in the direction of two of the edges, and then obtained a relatively simple ordinary differential equation in the variable describing deflection in the direction of the other two edges. The analytical and numerical effort involved was relatively short.

For the case of the skew plate with all edges clamped, Ille² obtained a central deflection coefficient of 0.544 for a skew angle of 45°. This value lies approximately midway between the two values caused by Iyengar and Kennedy as reported in Ref. 1, and somewhat below that obtained by Kale, et al. by their eigenfunction technique. The central deflection coefficient for this same problem was found by N. L. Mikhailov³ using a Bubnov-Galerkin technique to be 0.550.

It may be of some interest to note that Ille has also investigated the cases of a) uniformly loaded skew plates with two opposite edges simply supported and the other edges either simply supported or free,⁴ and b) all four edges simply supported and with the plate having a linear thermal gradient through the thickness.⁵ Significant stress and deflection coefficients are presented for all of these situations.

References

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³ Mikhailov, N. L., "Bending of Parallelogram-Shaped Plates," *Analysis for Strength, Stability, and Vibration, Mashgiz Publishers, Moscow, Russia, 1955 (in Russian).*

⁴ Ille, V., "Method of Analysis of a Plane Plate Simply Supported on Two Edges and with Various Conditions of Support on the Other Edges," Publication 7, 1964, Polytechnic Inst. of Cluj, Romania (in Romanian).

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Optimum Stage Weight Distribution of Multistage Rockets

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Nomenclature

 w_{a} , = gross initial weight of rocket

 w_i = weight of ith stage

 $w_L = payload$

 I_i = specific impulse of *i*th stage

 $c_i, n_i =$ structural weight coefficients

THE purpose of this Comment is to show that a conclusion reached by J. N. Srivastava in a Technical Comment published in the ARS Journal, February 1962, was in error. A

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